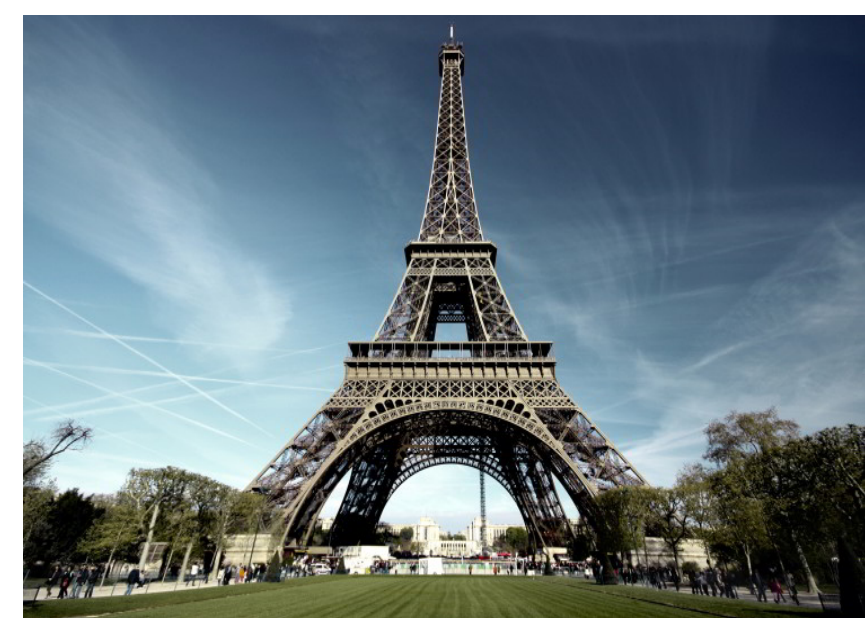


# A Framework for Using Custom Features to Colorize Grayscale Images

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## What is Image Colorization?

- The recovery of color context from a black-and-white image
  - Ill-posed (recovering 3 values from 1)
  - Composition of contexts
  - Learning Problem



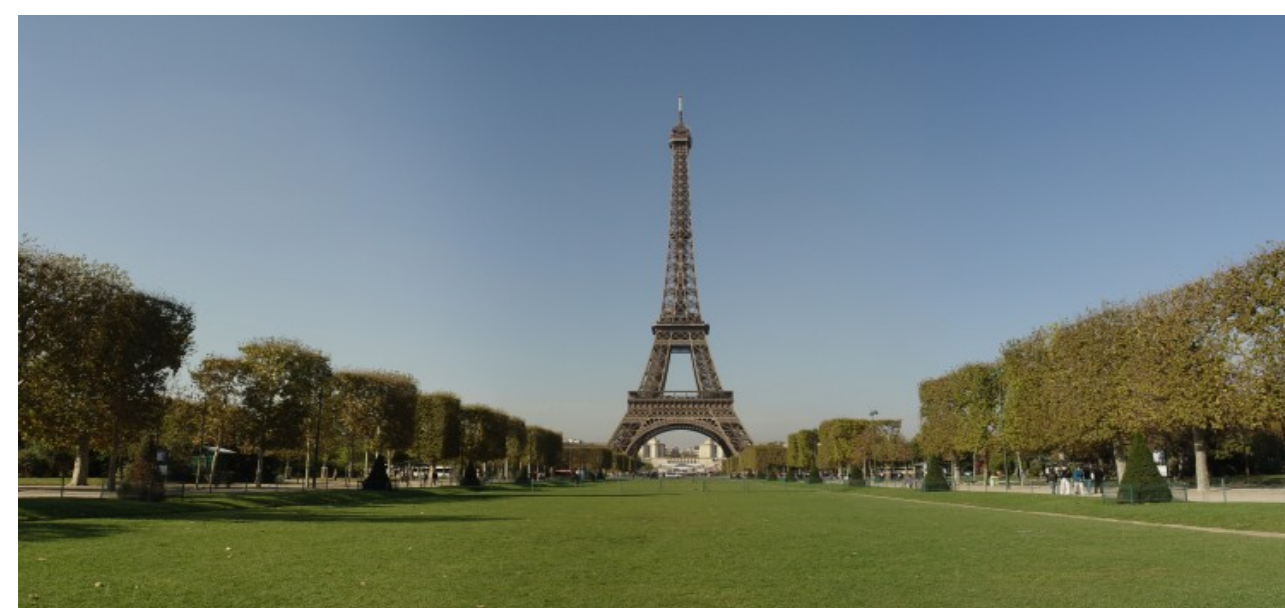
Source



Target



Result

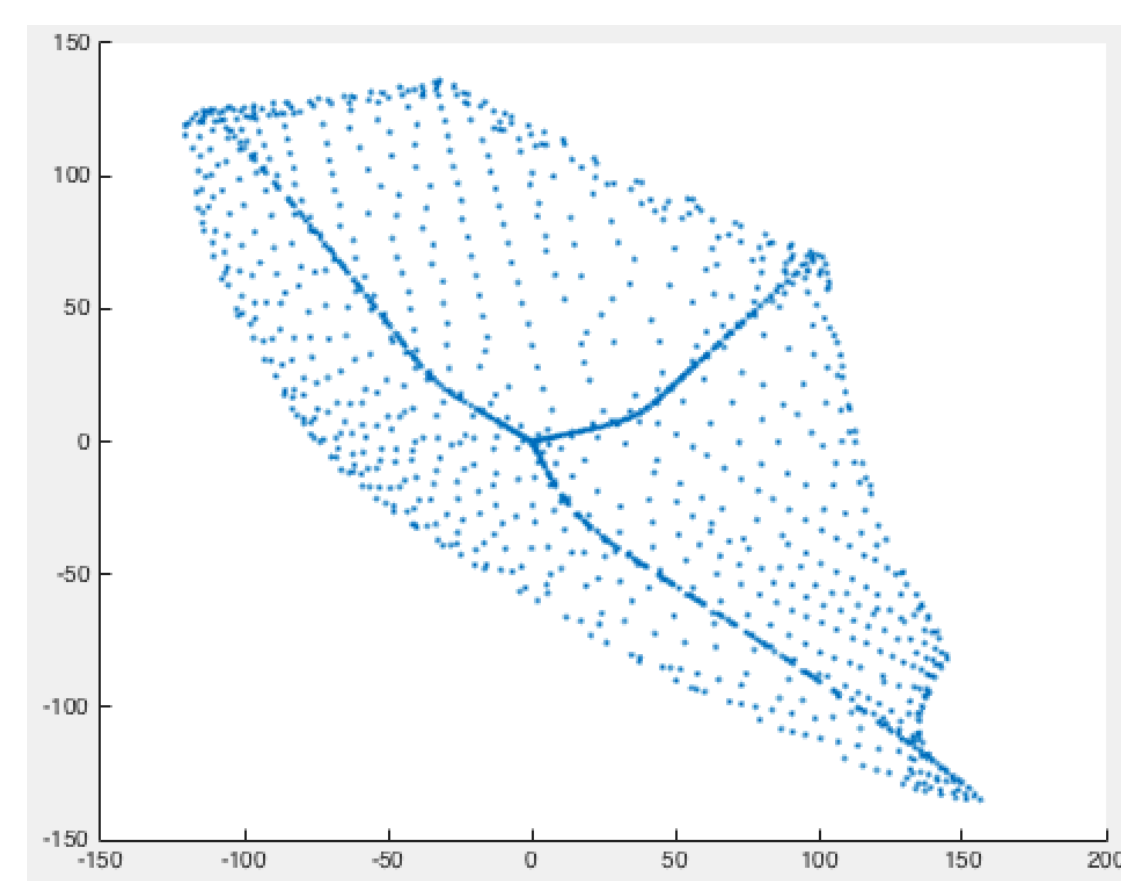
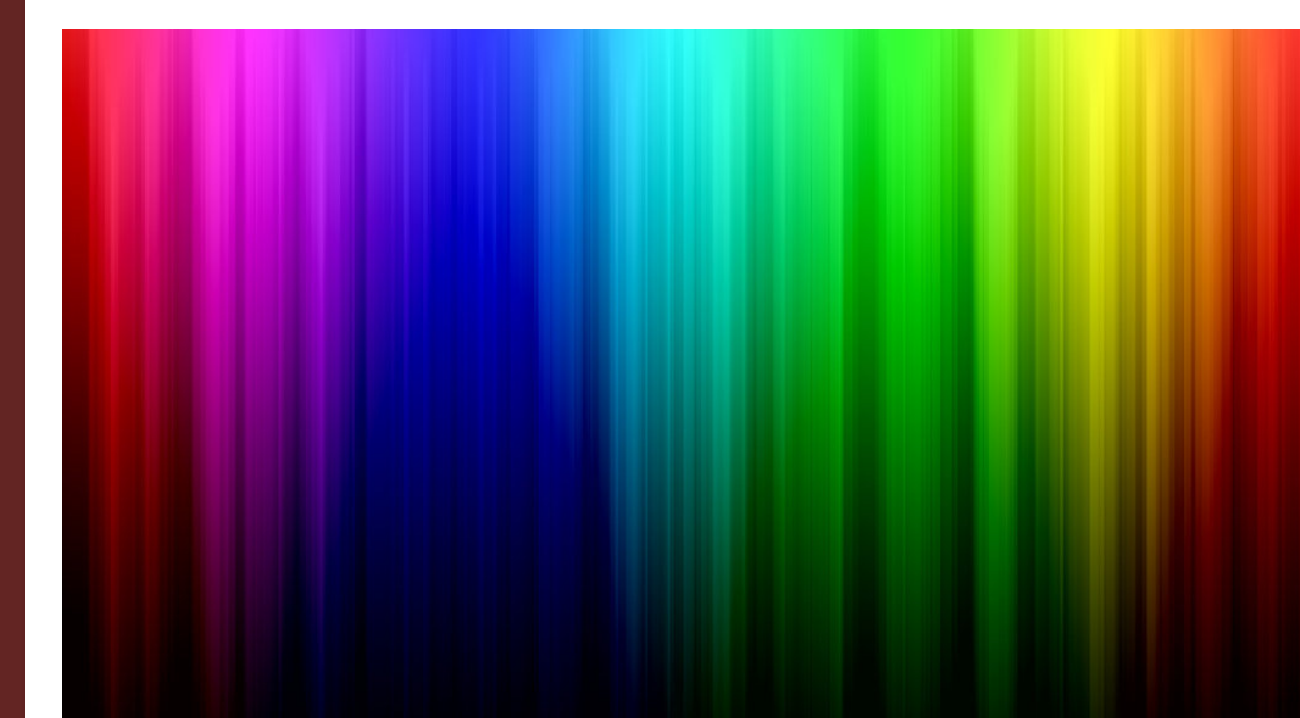


## Framework Overview

- Calculate Image Features
  - Luminance, Variance, and 2-Vector
- Discretize the Color Space
  - Recover color palette
- Color Cost Mapping
  - Determine color labelling likelihoods
  - Formulate cost function
- Final Colorization
  - Solve for most likely coloring using cost function

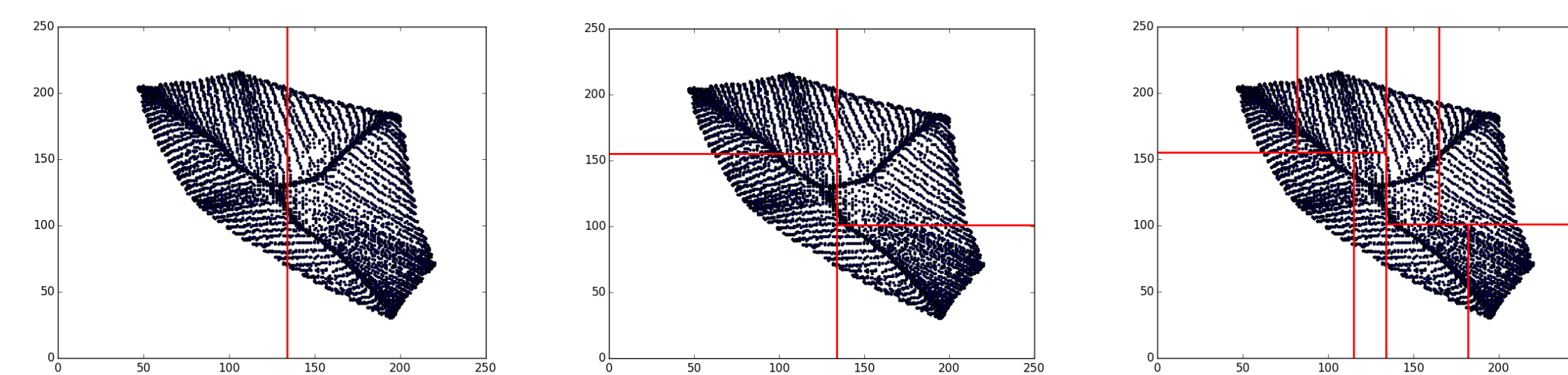
## Background

- SLIC Superpixels
  - Image Segmentation Technique based on K-Means
  - Improve overall algorithm performance
- The  $L\alpha\beta$  color space
  - Separate Luminance and Chrominance
  - 1 less value to recover compared to RGB
  - Change color without changing brightness



## Color Space Discretization

- Need to pick a color palette
  - Must capture the overall color “mood” of the scene
  - Must capture common yet subtle color variations
- Palette selections are based on density
  - High density regions get split in half along  $\alpha\beta$  axes until reaching desired number of colors.



## Color Cost Mapping

- Define the cost of assigning a color to a specific pixel
- Two Goals
  - Reward pixel region matches that are very close
  - Reward large number of matches in the same bin
- Formulate a cost function:

- Calculate a match score

- Single Dimensional Case

$$S(c|p) = \sum_{i \in I} \frac{|\{q : q \in H_{i,b(p)} \wedge c = b_c(q)\}|}{|H_{i,b(p)}|}$$

- Multi-Dimensional Case

$$S(c|p) = \sum_{i \in I} \left( \begin{cases} \frac{|M_{i,b(c)}|^2}{\sum_m^{M_{i,b(c)}} \|v(m) - v(p)\|}, & \text{if } |M_{i,b(c)}| > 0 \\ 0, & \text{otherwise} \end{cases} \right)$$

- Normalize the match scores

- Single Dimensional Case

$$N(c|p) = \frac{S(c|p)}{\sum_{d \in C} S(d|p)}$$

- Multi Dimensional Case

$$N(c|p) = \frac{S(c|p)}{\max_{c,p} S(c|p)}$$

- Formulate the color cost function

$$C(c|p) = 1 - N(c|p)$$

## Final Colorization

- Need to preserve two things:
  - Local Coherence: Do my color selections make sense with my cost function?
  - Global Coherence: Do my color make sense in large contiguous pixel regions?
- Can be formulated as an energy:

$$E(L) = \sum_{p \in T} \left[ C(L_p|p) + \lambda \sum_{q \in n(p)} \frac{\|L_p - L_q\|_{L\alpha\beta}}{\max_{b_i, b_j \in B} \|b_i - b_j\|_{L\alpha\beta}} \right]$$

Local Coherence

Global Coherence

- Can be solved for minimum energy efficiently using graph cuts



## Evaluation Methods

- Qualitative
  - Do selected regions appear as expected?
  - Is the colorization *crisp*?
  - Do all of the colors make sense in the scene?
- Quantitative
  - Average Per-Pixel  $L\alpha\beta$  distance

$$R(L) = \frac{\max_{b_i, b_j \in B} \|b_i - b_j\|_{L\alpha\beta} \sum \|L_p - C(q)\|_{L\alpha\beta}}{|T|}$$

## Conclusion and Future Work

- Colorization results tend to be reasonable, however they are not quite up to par with state-of-the-art methodologies.
- Can tune the customization points better to achieve more reasonable results.
- Can re-formulate energy function to handle regions of expected color variance.